

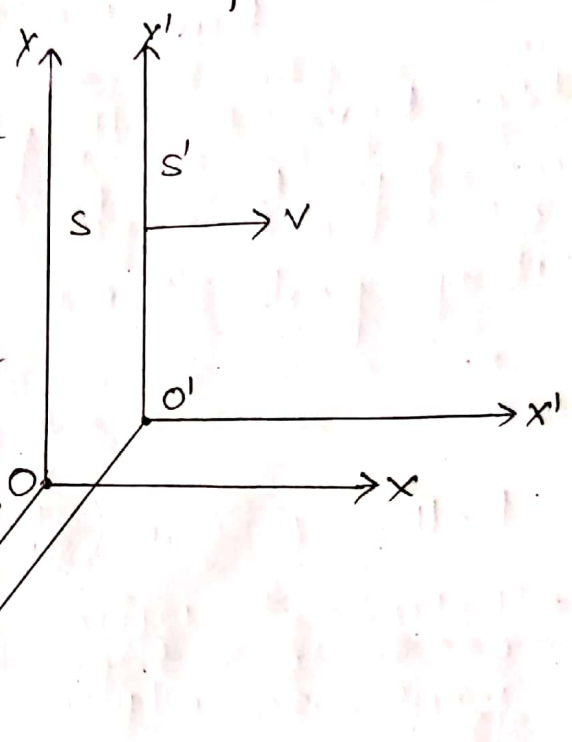
### Galilean Transformation Equation: -

Let  $S$  and  $S'$  be two frames of references, in which  $S'$  is moving along  $x$ -axis with a constant velocity  $v$  relative to  $S$ .

Let  $(x, y, z, t)$  be the

space and time coordinates of an event for an observer on the frame  $S$ , and  $(x', y', z', t')$  be the coordinates of the same event for an observer on the frame  $S'$ . Let the time be counted from the instant when the origin  $O$  and  $O'$  momentarily coincide. We have to see how are the measurements  $x, y, z, t$  related to  $x', y', z', t'$ .

According to the classical mechanics the measurement in the  $x$ -direction made in  $S$  will be smaller



them that made in  $s'$  by the amount  $vt$ , which is the distance moved by  $s'$  in the  $x$ -direction.

$$\therefore x' = x - vt \quad \text{--- (1)}$$

There is no relative motion in  $y$  and  $z$ -directions, hence

$$y' = y \quad \text{--- (2)}$$

$$\text{and } z' = z \quad \text{--- (3)}$$

In the classical ~~mechanics~~ mechanics, the time intervals measured in different frames of reference in relative motion are the same, and so

$$t' = t \quad \text{--- (4)}$$

The set of equations (1) to (4) are the Galilean transformation equations. However, they violate both the postulates. ~~The~~